

FUNCTIONAL SKILLS CERTIFICATE Functional Mathematics

Level 1

Mark Scheme

4367

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Version: 1.0 Final

Mark schemes are prepared by the Lead Assessment Writer and considered, together with the relevant questions, by a panel of subject teachers. This mark scheme includes any amendments made at the standardisation events which all associates participate in and is the scheme which was used by them in this examination. The standardisation process ensures that the mark scheme covers the students' responses to questions and that every associate understands and applies it in the same correct way. As preparation for standardisation each associate analyses a number of students' scripts. Alternative answers not already covered by the mark scheme are discussed and legislated for. If, after the standardisation process, associates encounter unusual answers which have not been raised they are required to refer these to the Lead Assessment Writer.

It must be stressed that a mark scheme is a working document, in many cases further developed and expanded on the basis of students' reactions to a particular paper. Assumptions about future mark schemes on the basis of one year's document should be avoided; whilst the guiding principles of assessment remain constant, details will change, depending on the content of a particular examination paper.

Further copies of this mark scheme are available from aga.org.uk

Glossary for Mark Schemes

Examinations are marked to award positive achievement.

Marks are awarded for demonstrating the following interrelated **process skills**.

Representing Selecting the mathematics and information to model a situation.

- **R.1** Candidates recognise that a situation has aspects that can be represented using mathematics.
- **R.2** Candidates make an initial model of a situation using suitable forms of representation.
- **R.3** Candidates decide on the methods, operations and tools, including ICT, to use in a situation.
- **R.4** Candidates select the mathematical information to use.

Analysing Processing and using mathematics.

- **A.1** Candidates use appropriate mathematical procedures.
- **A.2** Candidates examine patterns and relationships.
- **A.3** Candidates change values and assumptions or adjust relationships to see the effects on answers in models.
- **A.4** Candidates find results and solutions.

Interpreting Interpreting and communicating the results of the analysis.

- **I.1** Candidates interpret results and solutions.
- **I.2** Candidates draw conclusions in light of situations.
- **I.3** Candidates consider the appropriateness and accuracy of results and conclusions.
- **I.4** Candidates choose appropriate language and forms of presentation to communicate results and solutions.

In particular, individual marks are mapped onto the following skills standards.

Representing Making sense of the situations and representing them.

A learner can:

Ra Understand routine and non-routine problems in familiar and

unfamiliar contexts and situations.

Rb Identify the situation or problems and identify the mathematical

methods needed to solve them.

Rc Choose from a range of mathematics to find solutions.

Analysing Processing and using the mathematics.

A learner can:

Aa Apply a range of mathematics to find solutions.

Ab Use appropriate checking procedures and evaluate their

effectiveness at each stage.

Interpreting Interpreting and communicating the results of the analysis.

A learner can:

Interpret and communicate solutions to multistage practical problems in familiar and unfamiliar contexts and situations.

Ib Draw conclusions and provide mathematical justifications.

To facilitate marking, the following categories are used:

M Method marks are awarded for a correct method which could lead to a

correct answer.

A Accuracy marks are awarded when following on from a correct

method. It is not necessary to always see the method. This can be

implied.

B Marks awarded independent of method.

ft Follow through marks. Marks awarded following a mistake in an

earlier step.

SC Special case. Marks awarded within the scheme for a common

misinterpretation which has some mathematical worth.

oe Or equivalent. Accept answers that are equivalent.

eg, accept 0.5 as well as $\frac{1}{2}$

Q	Answer	Mark	Comments		
	2 × 5.79 + 2 × 4.79 or 11.58 + 9.58 or 21.16	M1 <i>Rb</i>			
	their 21.16 – 18.99 or 18.99 + 3 or 21.99 or 21.16 – 3 or 18.16	M1 <i>Aa</i>	their 21.16 must be from an attempt at the cost of at least 2 tickets the subtraction may then be reversed		
1(a)	2.17 and No or 21.16 and 21.99 and No or 18.16 and No	A2 /	A1 2.17 or A1 21.16 and 21.99 or A1 18.16 A1 ft correct decision for their value(s) if 2nd M1 awarded and cost is attempted for exactly 4 tickets SC2 21.16 and No		
	Additional Guidance				
	No can be implied eg Its less than £3 Example of ft 4 x 5.79 = 23.16				
	23.16 – 18.99 = 4.17 Yes	M0M1A0A	A1ft		
	8	B1 Aa			
1(b)	17	B1ft Aa	correct total of their 8 + 9		
	Additional Guidance				
	If frame 1 is blank award B1 for 17 in f	rame 2			

Q	Answer	Mark	Comments
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	(Frame 9=) 75 + 10 + 3 + 5 or 93	M1 Ra	93 may be written in frame 9 total
	their 93 + 3 + 5	M1 <i>Aa</i>	their 93 must be >75 75 + 10 + 3 + 5 + 3 +5 or 75 + 26 implies M2
1(c)	101 and Yes	A2 <i>I</i>	A1 101 A1 ft correct decision for their value if 2nd M1 awarded SC2 88 and 91 and No SC1 88 and 91
	Additional Guidance		
	Working may be seen on the scorecard. Mark working lines if different to scorecard. 85 in frame 9 and 93 in frame 10 and No scores M0M1A0A1ft Final answer of 93 and No gains M0M1A0A1ft This may be in the working lines.		

	Ignore other non-contradictory working or comments unless they state that Jamil is not correct/supported.				
	Additional Guidance				
1(d)	Jamil/He won 3 games (out of 5) but Tom (only) won 2 (out of 5) or Jamil/He won a greater proportion of games/more games (than Tom) or Jamil/He won 60% of the games but Tom (only) won 40%	B1 <i>I</i>	oe eg Tom lost 3 games but Jamil (only) lost 2		

Q	Answer	Mark	Comments		
	Alternative method 1				
	Compares totals 145 +138 + 204 + 186 + 172 or 192 + 165 + 144 + 210 + 184	M1 Rc			
	845 and 895	A2 Aa	A1 845 or 895		
	Alternative method 2				
	Compares means (145 +138 + 204 + 186 + 172) ÷ 5 or 845 ÷ 5 or (192 + 165 + 144 + 210 + 184) ÷ 5 or 895 ÷ 5	M1 Rc			
	169 and 179	A2 Aa	A1 169 or 179		
	Alternative method 3				
1(e)	Compares medians 138, 145, 172, 186, 204 or 144, 165, 184, 192, 210	M1 Rc	ordering		
	172 and 184	A2 Aa	A1 172 or 184 Must be evidence that they are working out median. Eg states median or shows method		
	Alternative method 4				
	192 – 145, 165 – 138, 144 – 204, 210 – 186 and 184 – 172 or 145 – 192, 138 – 165, 204 – 144, 186 – 210 and 172 – 184	M1 Rc			
	Tom (+)47, (+)27, (-)60, (+)24, (+)12 or Jamil (-) 47, (-) 27, (+) 60 (-)24, (-) 12	A1 Aa			
	Tom +50 or Jamil -50	A1 Aa	Allow clear comparison of difference totals eg 47 + 27 + 24 + 12 is clearly more than Jamil's +60		
	Ad	ditional G	uidance		

Q	Answer	Mark	Comments
	Evidence of method may be seen under/next to tables.		
	For Alt 4 other ways of comparing the differences may be seen.		
	eg Toms 4 positive differences listed and Jamil's 1 positive difference.		
	Ignore other non-contradictory working or comments unless they state that Tom is not correct/supported.		

	Tuna	B1	
		Aa	
2(a)	Additional Guidance		

Q Answer	Mark Comments
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	Alternative method 1		
	(with salad) 29 + 20 + 32 + 25 or 106 or (without salad) 26 + 30 + 36 + 22 or 114	M1 <i>Rb</i>	Allow one error when reading from graph
	106 and 114 and No	A2 /	A1 106 and 114 A1ft Correct decision for their values
	Alternative method 2	•	
	Differences (without salad)		Allow one error
	-3, +10, +4, -3	M1	
	or	Rb	
	(with salad)		
2(b)	+3, -10, -4, +3		
• •	+14 and -6 and No or -14 and +6 and No or 8 and No or	A2 /	A1 +14 and -6 or -14 and +6 or 8 A1ft Correct decision for their value(s)
	8 more without salad or 8 less with salad		
	A	dditional G	uidance

M1 can be awarded for indicating addition of 4 corresponding values with at most one error.

Example

27 + 20 + 32 + 25 and 26 + 30 + 34 + 23 gains M1 for the first 4 (one error) even though the 2nd list has two errors.

Allow 'they sold more without salad' to imply 'No'

May need to look at graph

Q	Answer	Mark	Comments
2(c)	300 ÷ 25	M1 Rc A1 Aa	
2(c) check	Reverse method eg $12 \times 25 = 300$ or $300 \div 12 = 25$ or Alternative method eg $300 \div 5 = 60$ and $60 \div 5 = 12$	B1 Ab	
	Additional Guidance		
	Mark holistically.		

	Alternative method 1		
	2 × 1000 or 2000	M1	
		Aa	
2(d)	500 × their 12 or 6000	M1	ft their 12 from (c)
		Ra	
	their 6000 ÷ their 2000	M1	their total grams needed ÷ their grams in
		Rc	2kg
	3	A1ft	only ft their 12 from (c)
		Aa	

Q	Answer	Mark	Comments		
	Alternative method 2				
	500 × their 12 or		ft their 12 from (c) Allow complete build up method to 500		
	$\frac{500}{25} \times 300$ or 6000	M1 Aa	eg 25 = 300(g) 50 = 600(g) 500 = 6000(g)		
	their 6000 ÷ 1000 or 6	M1 Ra	their total grams needed ÷ 1000		
	their 6 ÷ 2	M1 Rc	their 6 must come from converting their grams to kg		
	3	A1ft <i>Aa</i>	only ft their 12 from (c)		
2(d)	Alternative method 3				
	2 × 1000 or 2000	M1 Aa			
	their 2000 ÷ 300 × 25				
	or	M1			
	their 2000 ÷ their 12 or 166.(66) or 166.7	Ra			
	500 ÷ their 166.(66)	M1 Rc			
	3	A1ft Aa	only ft their 12 from (c)		
		Additional G	Guidance		
	Allow 3 with no working for full mar If their 12 from c leads to a decima any sf.		mplete decimal or rounding up correctly to		

Q	Answer	Mark	Comments		
	Alternative method 1				
	90 ÷ 30 or 3 or 140 ÷ 60 or 2.3() or 2 or 90 ÷ 60 or 1.5 or 1 or 140 ÷ 30 or 4.6() or 4.7 or 4 their 3 × their 2	M1 <i>Ra</i> M1	Any decimal value(s) must be rounded down to integer(s)		
		1	Multiplication can be implied by answer		
	6	A1 <i>Aa</i>	from correct working SC2 6 from no working or insufficient correct working		
	Alternative method 2				
2(e)	Draws one correct crate	M1 Ra			
	Draws at least 4 correct size crates	M1 /	ignore additional incorrect sized crates		
	6	A1 Aa	All 6 crates of correct size clearly shown SC2 6 from no working or insufficient, correct working		
	Additional Guidance				
	Mark the method that leads to the answer stated. If no answer is given mark the best method. If the answer space is blank then 6 correctly drawn boxes numbered to 6 gains M2A1 Allow dots to indicate the corners of boxes.				
	Use of area divided by area given as their answer (7.(875)) is M0M0A0 Ignore any diagram.				
	For SC2 the insufficient, correct working is most likely to come from the diagram method. These may include unclear lines drawn for some boxes or not all 6 boxes shown. To merit 3 marks the 6 boxes must be clearly shown and either numbered to 6 or 6 stated.				

Q	Answer	Mark	Comments
		<u>.</u>	
	Fully communicated shortest route chosen starting shop to A and 8 (miles)		B2 The correct shortest route with incorrect or no distance or not indicated as their choice
	$(Shop) \rightarrow A \rightarrow C \rightarrow B \rightarrow Shop$		or
	and 8 (miles)		Shortest route but starting shop to B
			and 8 miles
			(Shop) \rightarrow B \rightarrow C \rightarrow A \rightarrow Shop and 8 miles
			or
			A possible route starting shop to A with correct distance (but not the shortest)
			eg1 (Shop) $\rightarrow A \rightarrow B \rightarrow C \rightarrow Shop$
			and $10\frac{1}{2}$ (miles)
			eg2 (Shop) \rightarrow A \rightarrow C \rightarrow Shop \rightarrow B \rightarrow Shop
			and $8\frac{1}{2}$ (miles)
		B3	
2(f)		Rb Aa I	B1 A possible route starting shop to A but with incorrect or no total distance
			eg1 (Shop) \rightarrow A \rightarrow B \rightarrow C \rightarrow Shop
			and $11\frac{1}{2}$ (miles)
			or
			B1 Route with correct distance visiting all 3 offices but either not starting shop to A or not finishing at the shop
			eg1 (Shop) \rightarrow C \rightarrow B \rightarrow A \rightarrow Shop and $10\frac{1}{2}$ (miles)
			_
			eg2 (Shop) \rightarrow A \rightarrow B \rightarrow C
			and $7\frac{1}{2}$ (miles)
			Note the exception to this is the shortest route of 8 miles starting shop to B as shown in B2 above

Answer	Mark	Comments	
Additional Guidance			
Penalise, by 1 mark, routes not communicated by letters.			
Examples			
$1\frac{1}{2} + 2 + 3\frac{1}{2} + 1 = 8$ B2 (B3 -1) This is the correct distance for the shortest route (Shop) \rightarrow A \rightarrow C \rightarrow B \rightarrow Shop			
1 + 2½ + 2 + 3 = 8½ B0 (B1 -1)			
This is the correct distance for the route (Shop) \rightarrow B \rightarrow A \rightarrow C \rightarrow Shop			
Omitting the word shop at the end but giving the correct distance including return to shop loses the communication mark.			
If a choice is made, mark that choice.			
If a choice is not made the maximum mark allowed is B2. Award the best attempt. Eg SABCS = 10½			
SCBAS = 10½			
Award B2 for first alternative			
	Penalise, by 1 mark, routes not communication mark. Penalise, by 1 mark, routes not communication mark. Penalise, by 1 mark, routes not communication for the short of the correct distance for the route of the communication mark. If a choice is made, mark that choice. If a choice is not made the maximum maked the short of the	Additional G Penalise, by 1 mark, routes not communicated by Examples 1½ + 2 + 3½ + 1 = 8 B2 (B3 - 1) This is the correct distance for the shortest route of the standard for the shortest route of the correct distance for the route (Shop) — Omitting the word shop at the end but giving the of the communication mark. If a choice is made, mark that choice. If a choice is not made the maximum mark allowed Eg SABCS = 10½ SCBAS = 10½	

Q	Answer	Mark	Comments	
	Two sinks of correct size against North wall	B1 <i>Ra</i>		
	Three circles of approx. correct size in a line in the South half	B1 I	May be sketched	
	One rectangle (for desk) measuring 1 cm by 2 cm	B1 Aa		
3(a)	One rectangle (for waiting area) 4cm by 2cm	B1 Aa		
	Door area kept clear and all items labelled correctly	B1 /		
	Additional Guidance			
	2 different people on each shift	B1 Ra		
	Jenny, Craig and Mia included 8 times each	B1 <i>Aa</i>		
	Craig does not work on Saturday	B1 /		
3(b)	Each person has at least 1 day off	B1 /		
	Additional Guidance			
	For 2nd B1 condone twice on the same shift			
	If there are blanks then the only possible mark is the 3rd B1 if Saturday is completed using only Jenny and Mia.			
	Mark 2nd grid unless blank.			

Q	Answer	Mark	Comments
3(c)	12 × 60 or 720 or 30 × 33 or 990 12 × 60 + 30 × 33 or their 720 + their 990 or 1710 704 + 300 or 1004 their 1710 – their 1004 or their 1004 + 700 or 1704 or their 1710 – 700 or 1010	M1 Rb M1 Rc M1 Rc	2 different values their 720 must be >60 their 990 must be >33 their 1710 – 704 – 300 implies previous M1 their 1710 can be 93 (from 60 + 33) their income – both costs
	706 and Yes or 1710 and 1704 and Yes or 1010 and 1004 and Yes	A2 / Additional G	A1 706 or 1710 and 1704 or 1010 and 1004 A1ft correct decision for their value(s) if 3rd and 4th M1 awarded

Q	Answer	Mark	Comments		
	3 × 6 or 18	M1 Ra	Allow 3000 × 6		
	their 18 × 15 (÷ 100)	M1			
	or	Aa			
	270 (÷100)				
	or		their 18 cannot be 3 or 6		
	250 ÷ 15				
	or				
	2.5(0) ÷ 0.15				
	(£)2.7(0) and Yes	A2	A1 (£)2.7(0) or 16.() and 18		
	or 16.() and 18 and Yes	11	A1ft correct decision for their values if M2 awarded		
4(a)	Additional Guidance				
	16.() comes from calculating the number of units you can buy for £2.50				
	Allow any rounding including rounding up to 17				
	Answer 270p and Yes scores M2A2				
	Answer 270 and 250 and Yes scores M2A2				
	Answer 270 with no units and Yes scores M2A0A1				
	6 × 15 (= 90) oe scores M0				
	Use of 3000 × 6 needs division by 1000 for the accuracy mark				
	Example				
	3000 × 6 = 18000				
	18000 × 0.15 = 270 Yes M2 A0 A1ft				
	Use of 2kw or 1kw instead of 3kw clearly shown can gain max 3 marks				

Q	Answer	Mark	Comments	
	Alternative method 1			
	1	M1		
	100 ÷ 1000 or 0.1 or $\frac{1}{10}$	Ra		
	their 0.1 × 500 or 50	M1		
	or 500 ÷ 10 or 50	Aa		
	or 500 × 4 or 2000			
	50 × 4 = 200	A1		
	or 200 ÷ 4 = 50	1	50 must be from 0.1 × 500	
	or 2000 × 0.1 = 200			
	Alternative method 2			
	400 500 50 000	M1		
	100 × 500 or 50 000	Ra		
	their 50 000 ÷ 1000 or 50	M1		
4(b)		Aa		
	50 × 4 = 200	A1	50 must be from 50 000 + 4000	
	or 200 ÷ 4 = 50	1	50 must be from 50 000 ÷ 1000	
	Alternative method 3			
	500 × 4 or 2000	M1	500 × 100 or 50 000	
	500 × 4 01 2000	Ra	300 ^ 100 01 30 000	
	their 2000 × 100 or 200 000	M1	their 50 000 × 4 or 200 000	
		Aa	101 2000	
	200 000 ÷ 1000 = 200	A1		
	or	I		
	200 × 1000 = 200 000			
	Additional Guidance			
	50 × 4 = 200 or 200 ÷ 4 = 50 on its own is M0M0A0			
	Any 50 used must clearly be from using the method in alt 1 or alt 2			

Q	Answer	Mark	Comments			
	200 ÷ 5	M1				
4(0)		Rc				
4(c)	40	A1				
	40	Aa				
	Reverse or alt method	B1ft				
	eg reverse	Ab				
	their 40 × 5 = 200					
	or 200 ÷ their 40 = 5					
4(c)	eg alt method					
check	200 ÷ 10 × 2 = 40					
	or 200 × 0.2 = 40					
	Additional Guidance					
	Mark holistically so two different methods of 200 ÷ 5 = 40 and 200 ÷ 10 × 2 = 40 gains M1A1B1					

Q	Answer	Mark	Comments		
	Alternative method 1				
	Their 40 × 15 (÷ 100) or 600 or 6	M1 Ra	ft from (c) implied by 19.88		
	38 – (their 6 + 13.88) or	M1 Rc	For 38 condone 68		
	20 + (their 6 + 13.88)	7.0	r er ee eendene ee		
	(£)18.12 and No or	A2ft	ft from (c) A1 (£)18.12 or (£)39.88 or		
	(£)39.88 and No		A1ft correct decision for their value if M2 awarded		
	Alternative method 2				
	their 40 × 15 (÷ 100) or 600 or 6	M1 Ra	ft from (c)		
4(d)	38 – 20 or 18	M1			
	and their 6 +13.88 or 19.88	Rc	For 38 condone 68		
	(£)18 and (£)19.88 and No	A2ft //	ft from (c) A1 (£)18 and (£)19.88		
			or A1ft correct decision for their values if M2 awarded		
	Additional Guidance				
	68 comes from adding the cost of 200 units at 15p to the cost for the ordinary bulbs- a misinterpretation				
	This gives 68 – 19.88 = 48.12 Yes M1M1 A0A1ft				
	Equivalent comparisons should be given full credit				
	Example				
	40 × 0.15 = 6				
	38 – 20 – 6 = 12 No M2A2 (this is a comparison of £12 with £13.88)				
	(uno io a companioni di £12 with £15.00	')			